# Sound Dynamic Deadlock Prediction in Linear Time

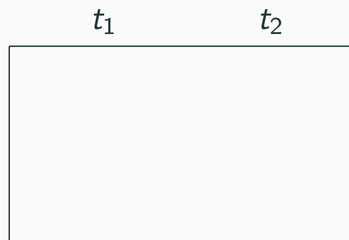
**Hünkar Can Tunç**

Umang Mathur

Andreas Pavlogiannis

Mahesh Viswanathan

# The Problem



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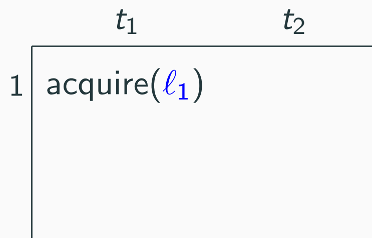

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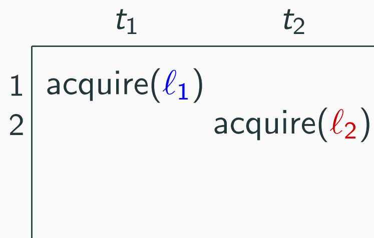

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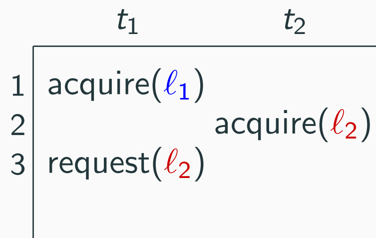

# The Problem

|   | $t_1$ | $t_2$ |
|---|---|---|
| 1 | acquire($\ell_1$) | |
| 2 | | acquire($\ell_2$) |
| 3 | request($\ell_2$) | |
| 4 | | request($\ell_1$) |

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| 1 | acquire($\ell_1$) | |
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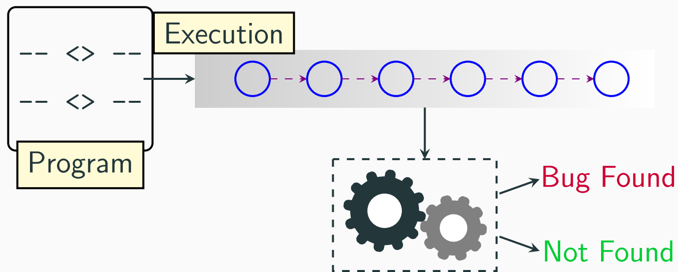
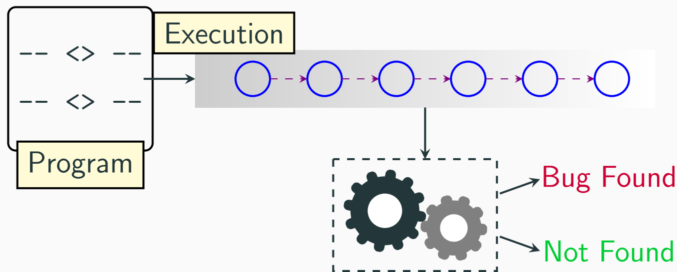
(Resource) Deadlock!

# Dynamic Analysis




- Effective method for finding concurrency bugs
- Widely adopted (e.g., ThreadSanitizer, Helgrind)

# Dynamic Analysis




- Effective method for finding concurrency bugs
- Widely adopted (e.g., ThreadSanitizer, Helgrind)
- Traditional techniques:
  $\hookrightarrow$ Analyze the current execution
- **Predictive** techniques:
  $\hookrightarrow$ Analyze the current execution + infer alternates

# Predictive Analysis

| | $t_1$ | $t_2$ |
|---|---|---|
| 1 | acquire($\ell_1$) | |
| 2 | acquire($\ell_2$) | |
| 3 | release($\ell_2$) | |
| 4 | release($\ell_1$) | |
| 5 | | acquire($\ell_2$) |
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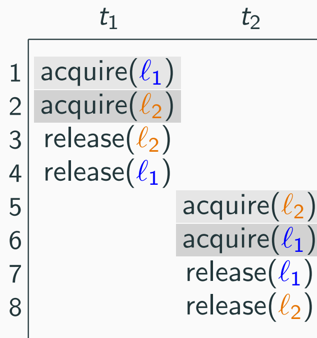
| 7 | | release($\ell_1$) |
| 8 | | release($\ell_2$) |

Observed trace

No deadlock

# Predictive Analysis

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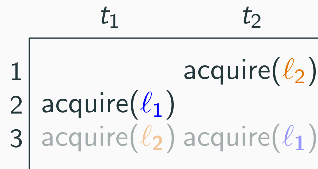


Observed trace
No deadlock

Reordered trace
**Deadlock!**

# Contributions

- We study the problem of dynamic deadlock **prediction**
- **Main results:**
  - Complexity characterization
    $\hookrightarrow$ Tradeoff between efficiency and precision is unavoidable
  - Novel algorithms
    $\hookrightarrow$ Strike a good balance between efficiency and precision
  - Empirical evaluation
    $\hookrightarrow$ Outperform state-of-the-art techniques

# Dynamic Deadlock Prediction

State-of-the-art

- **SeqCheck**[1]**:**
  - Sound but incomplete
  - High polynomial complexity
    $\hookrightarrow \widetilde{O}(\mathcal{N}^4)$
- **Dirk**[2]**:**
  - Sound and complete
  - Heavyweight SMT solving

[1] Yan Cai, Hao Yun, Jinqiu Wang, Lei Qiao, Jens Palsberg. Sound and efficient concurrency bug prediction. ESEC/FSE'21

[2] Christian Gram Kalhauge, Jens Palsberg. Sound deadlock prediction. OOPSLA'18

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This work

- **Sync-Preserving Deadlocks:**
  - Sound but incomplete
  - (Nearly) Linear time algorithm
    - $\hookrightarrow \widetilde{O}(\mathcal{N})$
    - $\hookrightarrow$ Wrt. number of events

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    $\hookrightarrow \widetilde{O}(\mathcal{N})$
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Focus is on identifying real deadlocks!

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# Predictive Analysis

**Two steps of predictive analysis:**

1. Identify potential buggy events
2. Check if the potential bug can be realized

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→ ① Identify potential buggy events

② Check if the potential bug can be realized

# Potential Deadlocks

- **Potential deadlocks:**
  - Cyclic lock acquisition patterns

    $\hookrightarrow$ $\ell_1, \ell_2$

| | $t_1$ | $t_2$ |
|---|---|---|
| 1 | $\cdots$ | |
| 2 | acquire($\ell_1$) | |
| 3 | acquire($\ell_2$) | |
| 4 | $\cdots$ | |
| 5 | release($\ell_2$) | |
| 6 | release($\ell_1$) | |
| 7 | $\cdots$ | |
| 8 | | $\cdots$ |
| 9 | | acquire($\ell_2$) |
| 10 | | acquire($\ell_1$) |
| 11 | | release($\ell_1$) |
| 12 | | release($\ell_2$) |
| 13 | | $\cdots$ |

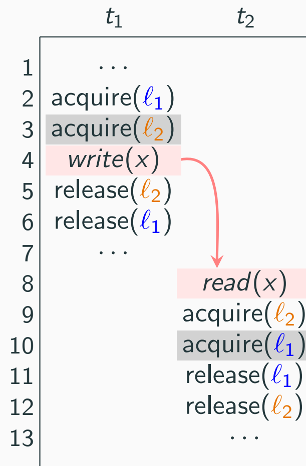
# Potential Deadlocks

- **Potential deadlocks:**
  - Cyclic lock acquisition patterns
    $\hookrightarrow$ $\ell_1, \ell_2$
  - Not protected by a common lock
    $\hookrightarrow$ No such $\ell_3$

| | $t_1$ | $t_2$ |
|---|---|---|
| 1 | acquire($\ell_3$) | |
| 2 | acquire($\ell_1$) | |
| 3 | acquire($\ell_2$) | |
| 4 | ... | |
| 5 | release($\ell_2$) | |
| 6 | release($\ell_1$) | |
| 7 | release($\ell_3$) | |
| 8 | | acquire($\ell_3$) |
| 9 | | acquire($\ell_2$) |
| 10 | | acquire($\ell_1$) |
| 11 | | release($\ell_1$) |
| 12 | | release($\ell_2$) |
| 13 | | release($\ell_3$) |

# Potential Deadlocks

- **Potential deadlocks:**
  - Cyclic lock acquisition patterns
    $\hookrightarrow$ $\ell_1, \ell_2$
  - Not protected by a common lock
    $\hookrightarrow$ No such $\ell_3$
  - Necessary but insufficient for an actual deadlock
    $\hookrightarrow$ Control flow/data flow dependencies



# Potential Deadlocks

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  - Identifying potential deadlocks is intractable

    $\hookrightarrow$ NP-hard

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- **Our solution:**
  - Abstraction that groups potential deadlocks

    $\hookrightarrow$ Abstract lock graph

# Abstract Lock Graph

| | $t_1$ | $t_2$ | $t_3$ |
|---|---|---|---|
| 1 | acquire($\ell_1$) | | |
| 2 | acquire($\ell_2$) | | |
| 3 | release($\ell_2$) | | |
| 4 | acquire($\ell_2$) | | |
| 5 | release($\ell_2$) | | |
| 6 | release($\ell_1$) | | |
| 7 | | acquire($\ell_3$) | |
| 8 | | acquire($\ell_2$) | |
| 9 | | acquire($\ell_1$) | |
| 10 | | release($\ell_1$) | |
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| 12 | | release($\ell_3$) | |
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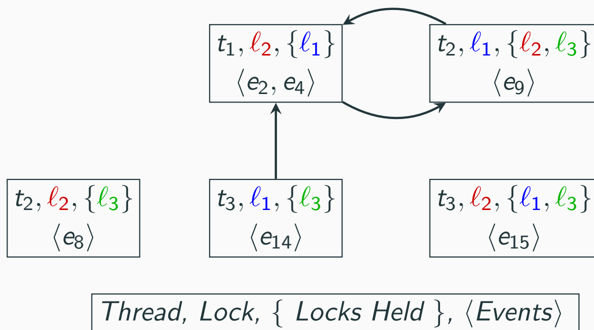
| 14 | | | acquire($\ell_1$) |
| 15 | | | acquire($\ell_2$) |
| 16 | | | release($\ell_2$) |
| 17 | | | release($\ell_1$) |
| 18 | | | release($\ell_3$) |

Observed trace




Abstract Lock Graph

# Abstract Lock Graph

| | $t_1$ | $t_2$ | $t_3$ |
|---|---|---|---|
| 1 | acquire($\ell_1$) | | |
| 2 | acquire($\ell_2$) | | |
| 3 | release($\ell_2$) | | |
| 4 | acquire($\ell_2$) | | |
| 5 | release($\ell_2$) | | |
| 6 | release($\ell_1$) | | |
| 7 | | acquire($\ell_3$) | |
| 8 | | acquire($\ell_2$) | |
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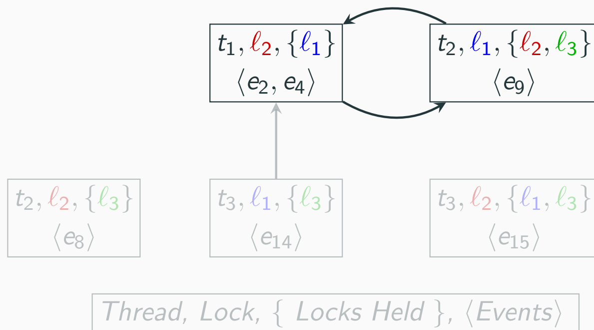
Observed trace

**Potential deadlocks:** $\langle e_2, e_9 \rangle, \langle e_4, e_9 \rangle$




Abstract Lock Graph

**Two steps of predictive analysis:**

① Identify potential buggy events ✓

→ ② Check if the potential bug can be realized

# Predicting Deadlocks

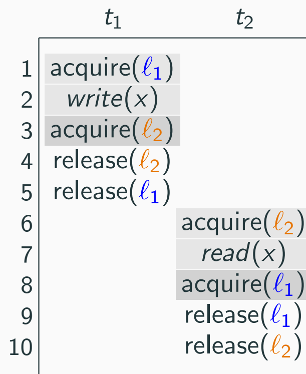
| | $t_1$ | $t_2$ |
|---|---|---|
| 1 | acquire($\ell_1$) | |
| 2 | $write(x)$ | |
| 3 | acquire($\ell_2$) | |
| 4 | release($\ell_2$) | |
| 5 | release($\ell_1$) | |
| 6 | | acquire($\ell_2$) |
| 7 | | $read(x)$ |
| 8 | | acquire($\ell_1$) |
| 9 | | release($\ell_1$) |
| 10 | | release($\ell_2$) |

Observed trace

No deadlock

Potential deadlock $\rightarrow$ Real deadlock?

# Predicting Deadlocks

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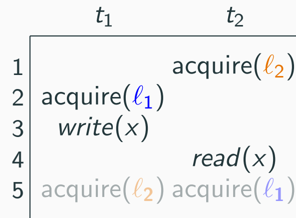


Observed trace

No deadlock

Witness trace

**Deadlock!**

Potential deadlock $\rightarrow$ Real deadlock ✓

# Predicting Deadlocks

- **Our second result:** (Given a potential deadlock)
  - Sound and complete deadlock prediction is intractable
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## Predicting Deadlocks

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- **General solution:**
  - Consider a restricted problem setting to gain efficiency
    $\hookrightarrow$ Look for a subset of deadlocks

## Predicting Deadlocks

- **Our second result:** (Given a potential deadlock)
  - Sound and complete deadlock prediction is intractable
    - $\hookrightarrow$ NP-hard

- **General solution:**
  - Consider a restricted problem setting to gain efficiency
    - $\hookrightarrow$ Look for a subset of deadlocks

- **Challenge:**
  - Restrictions should satisfy the following two properties
    - $\hookrightarrow$ Enable efficient analysis
    - $\hookrightarrow$ Retain high precision

# Sync-Preserving Deadlocks

- Adapted from data races[1]
- Subset of deadlocks
  - $\hookrightarrow$ More conservative restrictions on the allowed reorderings
- Enables efficient analysis

[1] Umang Mathur, Andreas Pavlogiannis, Mahesh Viswanathan. Optimal Prediction of Synchronization-Preserving Races. POPL'21

# Sync-Preserving Deadlocks

| | $t_1$ | $t_2$ | $t_3$ |
|---|---|---|---|
| 1 | acquire($\ell_2$) | | |
| 2 | acquire($\ell_1$) | | |
| 3 | $write(x)$ | | |
| 4 | release($\ell_1$) | | |
| 5 | release($\ell_2$) | | |
| 6 | | acquire($\ell_1$) | |
| 7 | | $read(x)$ | |
| 8 | | release($\ell_1$) | |
| 9 | | | acquire($\ell_1$) |
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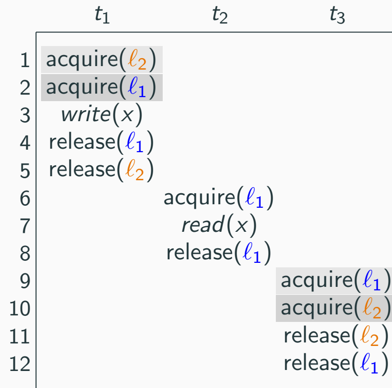
Observed trace

# Sync-Preserving Deadlocks

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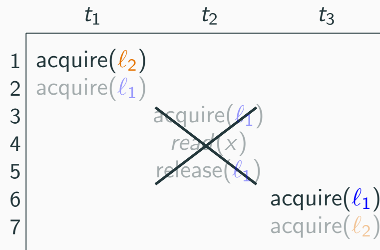

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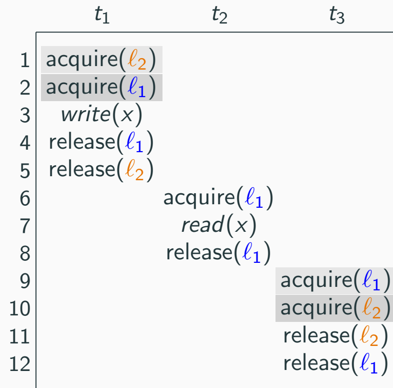


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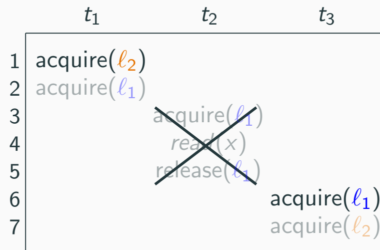


Sync-Preserving Deadlock

Order of `acquire` events on the same lock that occur in the witness are maintained

# Interplay With Abstract Lock Graph

| | $t_1$ | $t_2$ | $t_3$ |
|---|---|---|---|
| 1 | acquire($\ell_1$) | | |
| 2 | acquire($\ell_2$) | | |
| 3 | release($\ell_2$) | | |
| 4 | acquire($\ell_2$) | | |
| 5 | release($\ell_2$) | | |
| 6 | release($\ell_1$) | | |
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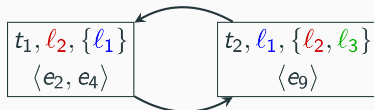


**Potential deadlocks:**

$\langle e_2, e_9 \rangle, \langle e_4, e_9 \rangle$

# Interplay With Abstract Lock Graph

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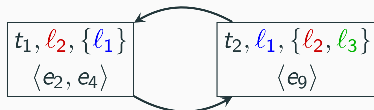


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- Number of checks per cycle:
  - ↪ **Naive approach:** Exponential
  - ↪ **Sync-preserving deadlocks:** Linear

# Interplay With Abstract Lock Graph

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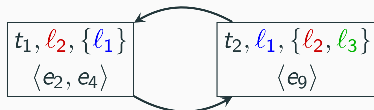


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- Time spent per check:
  - $\hookrightarrow$ **All deadlocks:** Exponential
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# Interplay With Abstract Lock Graph

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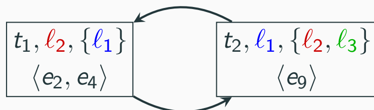


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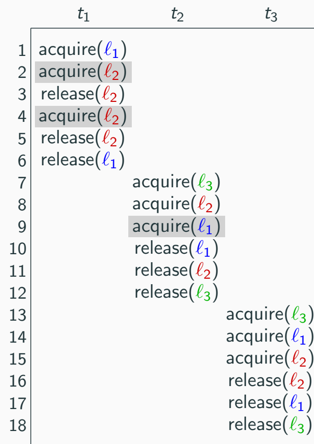
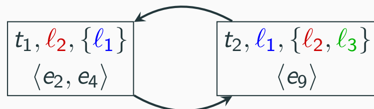
**Overall Linear**

# Interplay With Abstract Lock Graph

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- Time spent per check:
  - ↪ **All deadlocks:** Exponential
  - ↪ **Sync-preserving deadlocks:** Linear

**Overall Linear**

How much precision have we lost?

# Experimental Results - Offline

- Implemented *Sync-preserving Offline*
  ↪ Postmortem analysis
- Compared with *SeqCheck* and *Dirk*
- 48 benchmark traces
  ↪ Based on standard Java benchmark suites

| | *Dirk* | *SeqCheck* | **Sync-preserving Offline** |
|---|---|---|---|
| Total Deadlocks | 35 | 40 | **40** |
| Total Time | $>$ 1000 *minutes* | 46 *minutes* | **3 minutes** |

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|---|---|---|---|
| Total Deadlocks | 35 | 40 | **40** |
| Total Time | $>$ 1000 *minutes* | 46 *minutes* | **3 minutes** |

- **False negative analysis:** Only one actual deadlock is missed!
  ↪ Based on the standard notion of valid reorderings

# Online Algorithm

- Online setting $\rightarrow$ On-the-fly analysis
- No predictive online method
- Non-predictive online techniques:
  $\hookrightarrow$ Schedule fuzzing
- **Our work:**
  $\hookrightarrow$ Prediction + schedule fuzzing

## Experimental Results - Online

- Implemented *Sync-preserving Online*
- Compared with *DeadlockFuzzer*
- 38 benchmarks

  ↪ Based on standard Java benchmark suites

| | *DeadlockFuzzer* | **Sync-preserving Online** |
|---|---|---|
| Total Deadlock Hits | 2076 | **7633** |
| Total Unique Deadlocks | 42 | **49** |

# Conclusion

**This work:**

- **Complexity characterization:**
  - $\hookrightarrow$ Finding potential deadlocks is intractable
  - $\hookrightarrow$ Realizing potential deadlocks is intractable

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  - $\hookrightarrow$ Achieves efficiency and high precision
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# Conclusion

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Thank you!